# Modeling a Within-School Contact Network to Understand Influenza Transmission

Gail E. Potter

Fred Hutchinson Cancer Research Center

October 18, 2011

Manuscript available at: http://arxiv.org/PS\_cache/arxiv/pdf/1109/1109.0262v2.pdf

- When a new strain of influenza virus emerges, we use large-scale simulation models to
  - Estimate epidemic impact
  - Evaluate intervention strategies

- When a new strain of influenza virus emerges, we use large-scale simulation models to
  - Estimate epidemic impact
  - Evaluate intervention strategies
- Many influenza simulation models assume random mixing within mixing groups.

- When a new strain of influenza virus emerges, we use large-scale simulation models to
  - Estimate epidemic impact
  - Evaluate intervention strategies
- Many influenza simulation models assume random mixing within mixing groups.
  - Within school
  - Within grade

- When a new strain of influenza virus emerges, we use large-scale simulation models to
  - Estimate epidemic impact
  - Evaluate intervention strategies
- Many influenza simulation models assume random mixing within mixing groups.
  - Within school
  - Within grade
- Schools are known to be a primary mechanism for influenza spread.

• What is the impact of the social network structure within schools on estimates of epidemic outcomes and intervention effectiveness?

- What is the impact of the social network structure within schools on estimates of epidemic outcomes and intervention effectiveness?
- What is the direction of bias created by the random mixing assumption in estimates of epidemic outcomes and intervention effectiveness?

- What is the impact of the social network structure within schools on estimates of epidemic outcomes and intervention effectiveness?
- What is the direction of bias created by the random mixing assumption in estimates of epidemic outcomes and intervention effectiveness?
- Which network structures are important?

- What is the impact of the social network structure within schools on estimates of epidemic outcomes and intervention effectiveness?
- What is the direction of bias created by the random mixing assumption in estimates of epidemic outcomes and intervention effectiveness?
- Which network structures are important?

We create a detailed contact network model based on friendship and contact data and perform simulations to answer these questions.

# The National Longitudinal Study of Adolescent Health (Add Health)

- Representative sample of 80 high schools and 52 feeder schools in U.S. during 1994-95 school year
- We analyze data from one high school+feeder school combination.
- Students were given a school roster and identified up to 5 best male friends and 5 best female friends.
- We assume two students are friends if an un-reciprocated or reciprocated nomination occurred.
- We treat the friendship network data as complete (n=1074).

http://www.cpc.unc.edu/projects/addhealth Carolina Population Center, University of North Carolina Friendship-based contact network model

• Naive approach: Students only contact their friends, don't contact non-friends. Simulate disease transmission over friendship network.

#### Friendship-based contact network model

- Naive approach: Students only contact their friends, don't contact non-friends. Simulate disease transmission over friendship network.
- More realistic approach: Students are more likely to transmit disease to their friends, but may also transmit it to other schoolmates.
  - Students are more likely to contact their friends.
  - Students make longer social contacts with their friends.

#### Friendship-based contact network model

- Naive approach: Students only contact their friends, don't contact non-friends. Simulate disease transmission over friendship network.
- More realistic approach: Students are more likely to transmit disease to their friends, but may also transmit it to other schoolmates.
  - Students are more likely to contact their friends.
  - Students make longer social contacts with their friends.

We supplement the Add Health data with a survey of contact behavior in schools to create a model capturing these two tendencies.

# Social Contact Survey Data

A Survey on Epidemics in High Schools

- Survey administered in two Virginia high schools (2009)
  - 200 of 400 students surveyed
  - 120 of 1,000 students surveyed
- By a "contact," we mean being in close proximity for more than roughly five minutes.
  - Average number of contacts during each break between classes
  - Average number of contacts during lunch break
  - Percentage of contacts during school hours to friends

Huadong Xia, Jiangzhuo Chen, Madhav V. Marathe and Henning S. Mortveit, (2010). *Synthesis & Embedding of Subnetworks for Individual-based Epidemic Models*. NDSSL Technical Report 10-139.

Proposal:

- Define a "contact" to be a 10-minute face-to-face social contact.
  - If two students contact each other for an hour, that is 6 "contacts."

Proposal:

- Define a "contact" to be a 10-minute face-to-face social contact.
  - If two students contact each other for an hour, that is 6 "contacts."
- Assume 7 classes (40 mins), 1 lunch break (50 mins), and 5 non-lunch breaks of 10 minutes each.

Proposal:

- Define a "contact" to be a 10-minute face-to-face social contact.
  - If two students contact each other for an hour, that is 6 "contacts."
- Assume 7 classes (40 mins), 1 lunch break (50 mins), and 5 non-lunch breaks of 10 minutes each.
- The maximum number of contacts between any pair is 38.

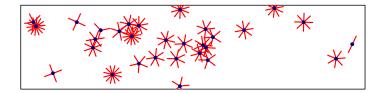
 Model the friendship network with an exponential family random graph model (ERGM).

- Model the friendship network with an exponential family random graph model (ERGM).
- Ø Model the contact network conditional on the friendship network.
  - Break/lunch contact network
  - Class contact network

#### Modeling break and lunch contacts

Definition: degree = number of contacts a student makes

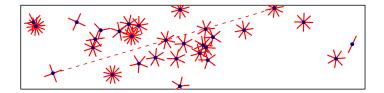
- Let  $D_{bl}$  denote the vector of break/lunch contact degrees.
- Let  $Y_{bl}$  denote the sociomatrix of break/lunch contacts.
- $\mathsf{P}(Y_{bl} = y_{bl}) = \sum_{d_{bl}} \mathsf{P}(Y_{bl} = y_{bl} | D_{bl} = d_{bl}) \mathsf{P}(D_{bl} = d_{bl})$



#### Modeling break and lunch contacts

Definition: degree = number of contacts a student makes

- Let  $D_{bl}$  denote the vector of break/lunch contact degrees.
- Let  $Y_{bl}$  denote the sociomatrix of break/lunch contacts.
- $\mathsf{P}(Y_{bl} = y_{bl}) = \sum_{d_{bl}} \mathsf{P}(Y_{bl} = y_{bl} | D_{bl} = d_{bl}) \mathsf{P}(D_{bl} = d_{bl})$



# Modeling break and lunch contacts

- Model the break/lunch contact degree distribution by fitting negative binomial distributions to contact survey.
- Distribute 68% of contacts between friends

We use a similar approach to model the class contact network, but 50% of contacts are to friends.

• Dynamic contact network

- Dynamic contact network
- Static contact network

- Dynamic contact network
- Static contact network
- Friendship-only network

- Dynamic contact network
- Static contact network
- Friendship-only network
  - Calibrate so that total number of contacts is same as in static contact network.

## Influenza Simulations

- Incubation period has 2, 3, or 4 days with probability 0.3, 0.5, and 0.2.
- Infectiousness is proportional to viral load (sampled from challenge study data).
- 67% of infected students become symptomatic.
- 75% of symptomatic cases withdraw to home:
  - 20% on first day
  - 40% on second
  - 15% on third

Chao, DE, Halloran, ME, Obenchain, VJ, and Longini, IM, (2010). "FluTE: a publicly available stochastic epidemic simulation model." *PLoS Computational Biology* vol.6, no.1

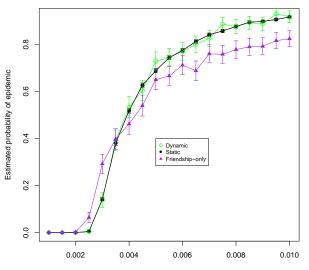
#### Influenza Simulations

- $p_{ti} = \text{per-10-minute transmission probability of person } i$  on day t
- $Y_{ij}$  = number of contacts between i and j on day t

$$\mathsf{P}(i \text{ infects } j \text{ on day } t) = 1 - (1 - p_{ti})^{Y_{ij}}$$

#### Comparison of three network models

Estimated probability of epidemic

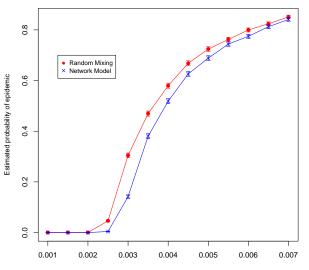




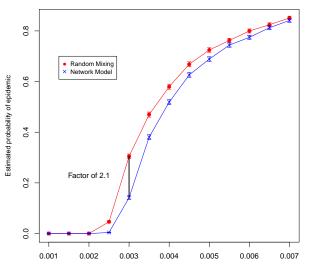
- Dynamic contact network
- Static contact network
- Friendship-only network
  - Calibrate so that total number of contacts is same as in static contact network.

## Influenza Simulations: Random Mixing

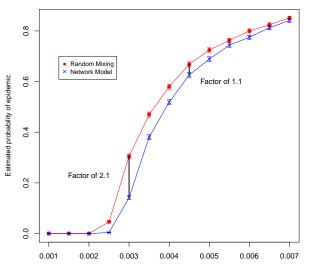
- Compare disease simulations over the contact network to those over a random mixing scenario.
- Calibrate so that the expected number of schoolmates contacted, as well as the total number of contacts, are the same in both models.



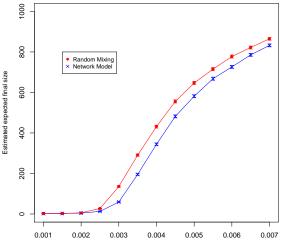
**Probability of Epidemic** 



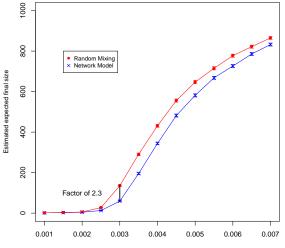
**Probability of Epidemic** 



Probability of Epidemic

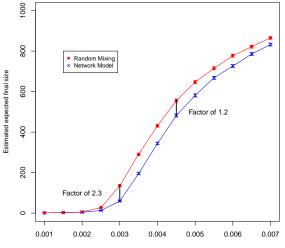


Final size



Final size

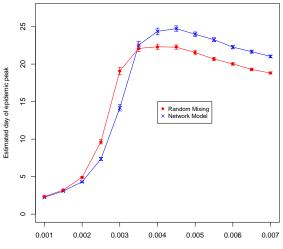
### Influenza Simulation Results



Final size

Probability of transmission in 10-min. contact

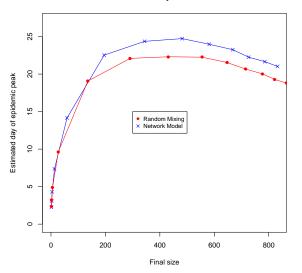
#### Influenza Simulation Results



Peak date

Probability of transmission in 10-min. contact

### Influenza Simulation Results



Peak date by final size

• Reactive grade closure

• Reactive grade closure

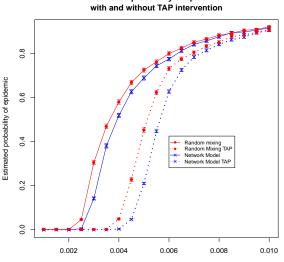
Assume 67% of infected students are symptomatic.

- Reactive grade closure
  - Assume 67% of infected students are symptomatic.
- Targeted antiviral prophylaxis

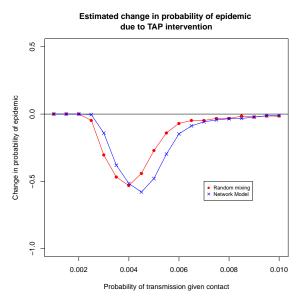
- Reactive grade closure
  - Assume 67% of infected students are symptomatic.
- Targeted antiviral prophylaxis
  - Symptomatic students receive 5 days of treatment; their contacts receive 10 days of prophylaxis.

- Reactive grade closure
  - Assume 67% of infected students are symptomatic.
- Targeted antiviral prophylaxis
  - Symptomatic students receive 5 days of treatment; their contacts receive 10 days of prophylaxis.
  - Assume  $AVE_S = 0.63$ ,  $AVE_I = 0.15$ ,  $AVE_P = 0.56$

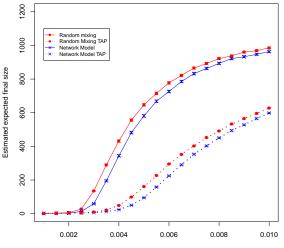
Halloran ME, Hayden FG, Yang Y, Longini, IM, Monto, AS (2007) Antiviral Effects on Influenza Viral Transmission and Pathogenicity: Observations from Household-based Trials. American Journal of Epidemiology 165(2): 212-221

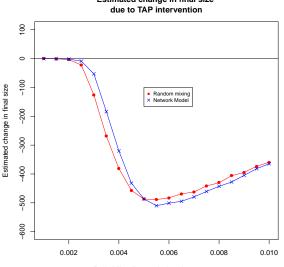


Estimated probability of epidemic

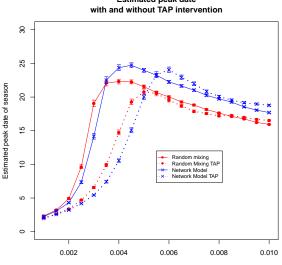


Estimated final size, with and without TAP

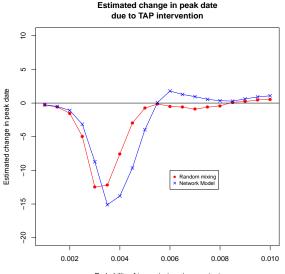




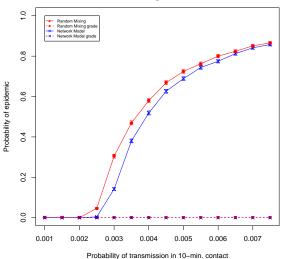
Estimated change in final size



Estimated peak date



Estimated probability of epidemic with and without grade intervention



Change in probability of epidemic with grade intervention 0.2 0.0 Change in probability of epidemic -0.2 Random Mixing × Network Model 4.0--0.6 -0.8 -1.0 0.001 0.004 0.005 0.006 0.007 0.002 0.003

Probability of transmission in 10-min. contact

#### Limitations

- Measurement error in reports of "average number of contacts."
- Within-classroom contact frequencies not informed by data.
- We assumed perfect observation of symptoms and perfect reporting of contact behavior.
- We treated the Add Health friendship network data as a complete network.
- Model is for within-school contacts only. Friends may contact each other outside school.

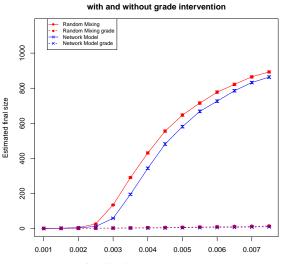
# Conclusions

- We developed a data-driven model of contact behavior in a school.
- Model allows us to estimate epidemic parameters and estimate the effectiveness of interventions.
- Epidemic outcomes, with and without interventions, differ substantively from a random mixing scenario.
- The dynamic contact network model and static contact network model produced identical epidemic predictions.

We recommend further exploration of contact network structure with the aim of improving existing simulation models.

# Acknowledgments

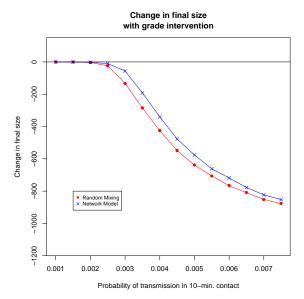
- Mark S. Handcock, Ira M. Longini Jr., M. Elizabeth Halloran
- CSQUID (Center for Statistics and Quantitative Infectious Disease)
- UW Social Network Modeling Group (Martina Morris and Steven Goodreau, PIs)
- Data: Stephen Eubank, Martina Morris
- Funding: National Institute of General Medical Sciences MIDAS grant U01-GM070749



Estimated final size

Probability of transmission in 10-min. contact

Gail Potter (FHCRC)

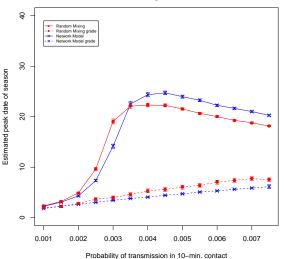


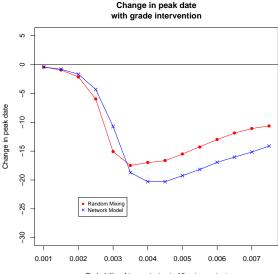
Gail Potter (FHCRC)

A Within-School Contact Network

October 18, 2011 39 / 37

Estimated peak date with and without grade intervention





Probability of transmission in 10-min. contact